

UNIT 2

- 6.) Use binomial theorem to expand the binomial $(2x+5)^3$. $8x^3 + 60x^2 + 150x + 125$
- 7.) Divide: $(x^4 - 6x^3 - 40x + 33) \div (x-7)$. $x^3 + x^2 + 7x + 9 + \frac{96}{x-7}$
- 8.) Find the difference. $(2x^3 - x^2 + 5x) - (-7x^4 + 4x^3 - 6x^2 - 2x + 9)$ $7x^4 - 2x^3 + 5x^2 + 7x - 9$
- 9.) If $f(x) = 2x - 7$ and $p(x) = x - 4$, find $p(f(x))$. $2x - 11$
- 10.) Given $f(x) = 5x^3 - 3x^2 + 2x - 7$ and $g(x) = x^3 + 4x - 27$. What is $f(x) - g(x)$? $4x^3 - 3x^2 - 2x + 20$

UNIT 3

- 11.) Find the zeros of the function: $f(x) = x^3 - 8x^2 - 23x + 30$. $x = 1$ $x = 10$ $x = -3$
- 12.) Solve for x : $x^4 = 8x^3 - 12x^2$. $x = 0$ mult of 2 $x = 2$ $x = 6$
- 13.) Find all the solutions of $x^4 - 11x^2 + 24 = 0$ $x = \pm 2\sqrt{2}$ $x = \pm \sqrt{3}$
- 14.) How many zeros does the function have? Explain how you know. $f(x) = x^5 + 3x^4 - 6x^3 - 40$ 5 highest exponent.
- 15.) If one of the solutions of a polynomial equation is $-5 - 4i$, what is another solution?
 $-5 + 4i$

6.2 Use Normal Distributions

Georgia
Performance
Standard(s)
MM3D2a,
MM3D2b

Goal • Study normal distributions.

Your Notes

VOCABULARY

Normal distribution — a distribution that follows a bell curve

Normal curve — symmetric curve that follows the empirical rule

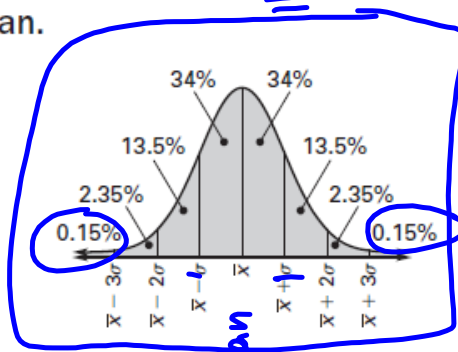
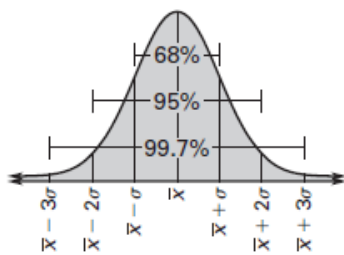
Standard normal distribution

* z-score

AREAS UNDER A NORMAL CURVE

A normal distribution with mean \bar{x} and standard deviation σ has these properties:

- The total area under the related normal curve is 1.
- About 68 % of the area lies within 1 standard deviation of the mean.
- About 95 % of the area lies within 2 standard deviations of the mean.
- About 99.7 % of the area lies within 3 standard deviations of the mean.



$$34 + 13.5$$

$$\downarrow$$

$$\frac{95}{2} = 47.5$$

$$\frac{68}{2} = 34\%$$

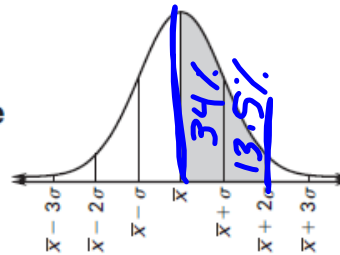
$$\frac{95}{2} = 47.5$$

$$- \frac{68}{2} = 27\%$$

$$\frac{27\%}{2} = 13.5$$

Example 1 Find a normal probability

A normal distribution has mean \bar{x} and standard deviation σ . For a randomly selected x -value from the distribution, find $P(\bar{x} \leq x \leq \bar{x} + 2\sigma)$



Solution

↑
prob.

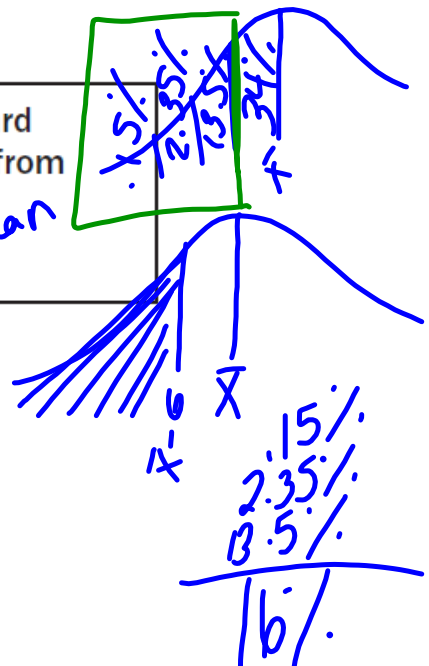
The probability that a randomly selected x -value lies between \bar{x} and $\bar{x} + 2\sigma$ is the shaded area under the normal curve. Therefore:

$$P(\bar{x} \leq x \leq \bar{x} + 2\sigma) = 34\% + 13.5\% = 47.5\%$$

✔ **Checkpoint** Complete the following exercise.

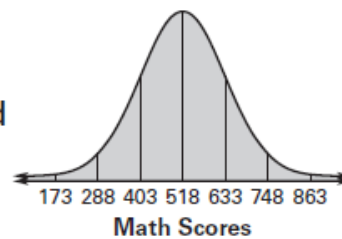
1. A normal distribution has mean \bar{x} and standard deviation σ . For a randomly selected x -value from the distribution, find $P(x \leq \bar{x} - \sigma)$.

↑
↑
less
1 st. dev below mean



Example 2 Interpret normally distributed data

Math Scores The math scores of an exam are normally distributed with a mean of 518 and a standard deviation of 115.



- About what percent of the test-takers have scores between 518 and 748?
- About what percent of the test-takers have scores less than 403?

Solution

- The scores of 518 and 748 represent 1 standard deviations to the Right of the mean. So, the percent of the test-takers that have scores between 518 and 748 is 34 % + 13.5 % = 47.5 %.
- A score of 403 is 1 standard deviation to the left of the mean. So, the percent of the test-takers that have scores less than 403 is .15 % + 2.35 % + 13.5 % = 16 %.

