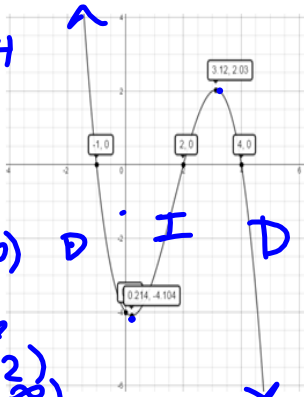


16.) Use the graph to answer A-H below. Round answers to the nearest tenth.

- A. y-intercept:  $(0, -4)$
- B. zero(s):  $x = -1, x = 2, x = 4$
- C. Relative Minimum:  $(1.2, -4.1)$
- Relative Maximum:  $(3.1, 2)$
- Absolute Minimum:  $N/A$
- Absolute Maximum:  $N/A$
- D. Domain:  $\mathbb{R} (-\infty, \infty)$
- E. Range:  $(-\infty, \infty)$



F. Intervals of increase or decrease:  $x$  value  
 I:  $(1.2, 3.1)$  D:  $(-\infty, 1.2)$  and  $(3.1, \infty)$

G. End behavior: as  $x \rightarrow -\infty, f(x) \rightarrow \infty$ ; as  $x \rightarrow \infty, f(x) \rightarrow -\infty$   
 Critical points on the graph (hard to read):  $(-1, 0), (2, 0), (4, 0), (0, -4), (1.2, -4.1), (3.1, 2.0)$

H. Is the function odd, even or neither? Neither Explain.   
 Odd - origin  
 Even - y-axis

UNIT 4

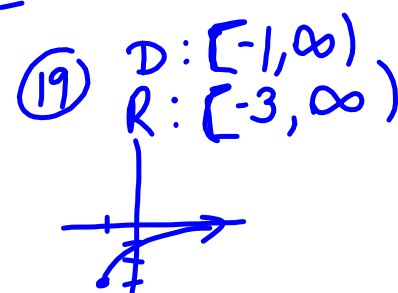
19.) Graph the function  $f(x) = \sqrt{x+1} - 3$ ; state the domain and range.

20-22: Simplify each expression using properties of rational exponents.

20.)  $3x^{\frac{2}{3}} \cdot 6x^{\frac{4}{3}} \cdot 2x^5$   
 $36x^7$   
 my H. Add exp

21.)  $\frac{x^{2+1}}{x^{1+4}}$  *dividesub.exp*  
 $x^{\frac{3}{5}} = \sqrt[5]{x^3}$

22.)  $(16x^{-4}y^{20})^{\frac{1}{4}}$   
 $16^{\frac{1}{4}} x^{-1} y^5 = \frac{2y^5}{x}$



17.) What type of symmetry does an even function have? y-axis  
 an odd function? origin

18.) Give the end behavior of (each) of the following functions.

- A)  $f(x) = x^6 - 7x^3 = 14x + 41$   
 as  $x \rightarrow \infty, f(x) \rightarrow \infty$   
 as  $x \rightarrow -\infty, f(x) \rightarrow -\infty$   
 ↑ ↑ E +  
 ↓ ↓ E -
- B)  $g(x) = -2x^4 + x^2 + 71$   
 as  $x \rightarrow \infty, f(x) \rightarrow -\infty$   
 as  $x \rightarrow -\infty, f(x) \rightarrow -\infty$   
 ↓ ↓ E -
- C)  $h(x) = x^3 + 5x^2 - 7x + 71$   
 as  $x \rightarrow \infty, f(x) \rightarrow \infty$   
 as  $x \rightarrow -\infty, f(x) \rightarrow -\infty$   
 ↑ ↑ O +
- D)  $j(x) = -12x^3 + x^2 + 7x - 71$   
 as  $x \rightarrow \infty, f(x) \rightarrow -\infty$   
 as  $x \rightarrow -\infty, f(x) \rightarrow \infty$   
 ↓ ↓ O -

z-score - normalize a point not on a curve.  
- standard deviation.

**Example 3** Use a z-score and the standard normal table

**Height** A survey of a group of women found that the height of the women is normally distributed with a mean height of 64.5 inches and a standard deviation of 2.5 inches. Find the probability that a randomly selected woman is at most 58 inches tall.

**Solution**

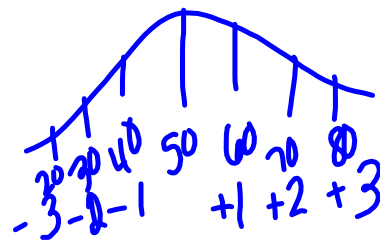
1. Find the z-score corresponding to an x-value of 58.

$$z = \frac{x - \bar{x}}{\sigma} = \frac{58 - 64.5}{2.5} = -2.60$$

2. Use the standard normal table to find  $P(x \leq 58) = P(z \leq -2.60)$ . The table shows that  $P(z \leq -2.60) = .0047$ . So, the probability that a randomly selected woman is at most 58 inches tall is .0047.

z	.0	.1	.2	.3	.4
-2	.0228	.0179	.0139	.0107	.0082
2	.9772	.9821	.9861	.9893	.9918

z	.5	.6	.7	.8	.9
-2	.0062	.0047	.0035	.0026	.0019
2	.9938	.9953	.9965	.9974	.9981



$$Z = \frac{X - \text{mean}}{\text{St. deviation}}$$

\* Z-scores only work  $\leq$   
\*  $\geq$  you have to 1-#

✔ **Checkpoint** Complete the following exercises.

2. In Example 2, about what percent of the test-takers have scores between 403 and 633?

68%

3. In Example 3, find the probability that a randomly selected woman is at most 70 inches tall.

$$\frac{(70 - 64.5)}{2.5} = 2.20$$

$$P(Z \leq 2.20) = .9861$$

Prob at least 72 in tall

$$\geq \frac{72 - 64.5}{2.5} = 3.00$$

$$P = .9987$$

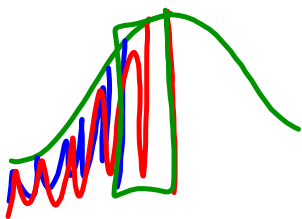
$$1 - .9987 = .0013$$

Prob between 61 in and 65 in

① Find both z-scores

$$\frac{*61 - 64.5}{2.5} = -1.40$$

$$\frac{*65 - 64.5}{2.5} = 0.20$$



② Find Prob.  
.0808

.5793

③ Subtract Prob

$$.5793 - .0808$$

.4985